

## LEARNING GOALS

- Discover the relationship between the coefficients and constants in a trinomial and the coefficients and constants in its factors.
- Factor quadratic expressions of the form $\mathrm{ax}^{2}+\mathrm{bx}+\mathrm{c}$, where a $=1$.


## KEEP YOUR MINDS ON ...

- Remember expanding?



## ITS MAGICHL!

| Magic Number <br> $\# 1$ | Magic Number <br> $\# 2$ | Sum | Product |
| :---: | :---: | :---: | :---: |
| 3 | 4 | 7 | 12 |
| -2 | 3 | 1 | -6 |
| 6 | -8 | -2 | -48 |
| -4 | -2 | -6 | 8 |
| 4 | 5 | 9 | 20 |
| -2 | 5 | 3 | -10 |
| -3 | 1 | -2 | -3 |
| -7 | -3 | -10 | 21 |
| 9 | 6 | 15 | 54 |
| 5 | -5 | 10 | 25 |
| 4 | -4 | 0 | -16 |

EXAMPLES

- Factor: $x^{2}+14 x+45=(x+9)(x+5)$

$$
\begin{array}{ll}
x^{2}-11 x+28 & =(x-7)(x-4) \\
x^{2}-x-30 & =(x-6)(x+5) \\
x^{2}+9 x-22 & =(x+11)(x-2) \\
x^{2}-100 & =(x+10)(x-10) \\
x^{2}+12 x+36 & =(x+6)(x+6)
\end{array}
$$

$\mathbb{T}$ special cases that we 'll talk about later!

## BIC IDEAS

- If a quadratic expression of the form $x^{2}+b x+c$ can be factored,
- it can be factored into two binomials, $(x+r)$ and $(x+s)$, where $r+s=b$ and $r \times s=c, r$ and $s$ are integers.


## BIG IDEAS (CONTINUED)

- Sometimes you will need to common factor the trinomial first.
- For example, factor $3 x^{2}-18 x-48$.

$$
\begin{aligned}
& 3 x^{2}-18 x-48 \\
= & 3\left(\frac{3 x^{2}}{3}-\frac{18 x}{3}-\frac{48}{3}\right) \\
= & 3\left(x^{2}-6 x-16\right) \\
= & 3(x+2)(x-8)
\end{aligned}
$$

What if I get stuck?
gr)

$$
\begin{aligned}
& x^{2}-5 x-24 \text { ouse ax }
\end{aligned}
$$

Check

$$
\begin{aligned}
& (x-8) x+3) \\
= & x^{2}+3 x-8 x-24 \\
= & x^{2}-5 x-24
\end{aligned}
$$

## CONSOLIDATION

## $x^{2}$ <br> $+b x+c$

REINFORCEMENT

$$
\begin{aligned}
& =\begin{array}{l}
\text { Pages } 211-213 \\
=\# 4-9,12,16,19^{*}, 20^{*}
\end{array} \\
& \forall 4,6-9,12,16
\end{aligned}
$$

