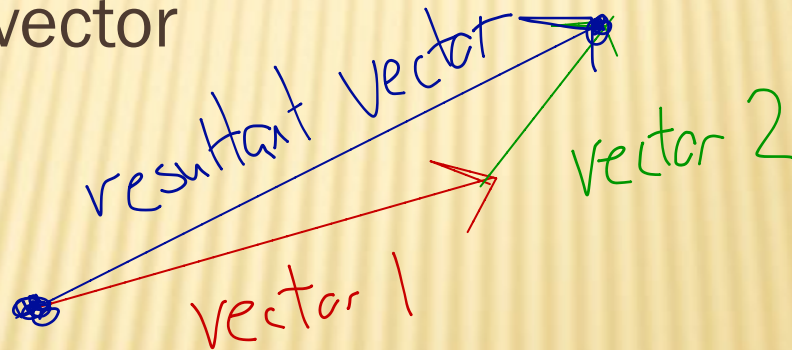


RESULTANT VECTOR

✘ Resultant Vector:

- + A vector that results from adding two or more given vectors
- + Add vectors from the tail of the first vector to the tip of the final vector



ADDING VECTORS A GRAPHICAL APPROACH

- ✗ Choose a suitable scale to represent the vectors (ex. 1cm to 100m)
- ✗ Use a protactor to measure angles

- Copy or Print from website
- Watch 2 or 3 videos on vectors that will be on website.

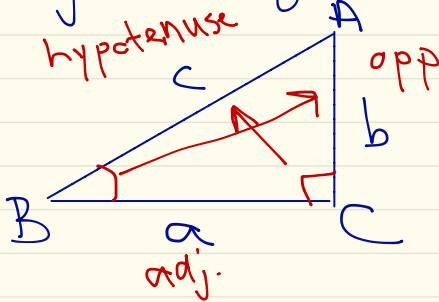
ADDING VECTORS AN ALGEBRAIC APPROACH

- ✘ Perpendicular vectors can be added algebraically using the Pythagorean theorem and the tangent function
- ✘ By using the component method of vector addition, all vector addition problems can be converted into a problem involving two perpendicular vectors

COMPONENT VECTOR

- ✘ The x-vector or the y-vector that can be broken down into an overall vector

Right Triangle Trigonometry



SOH CAH TOA

Pyth. Theorem

$$a^2 + b^2 = c^2$$

$$c^2 - b^2 = a^2$$

$$c^2 - a^2 = b^2$$

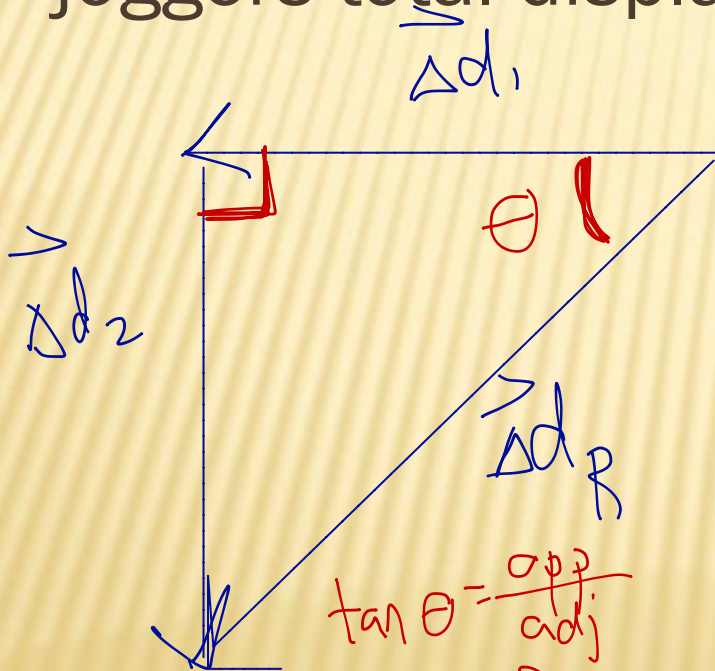
$$\sin A = \frac{\text{opp}}{\text{hyp}}$$

$$\cos A = \frac{\text{adj}}{\text{hyp}}$$

$$\tan A = \frac{\text{opp}}{\text{adj}}$$

ADDING TWO PERPENDICULAR VECTORS USING ALGEBRA

- ✦ A jogger runs 400.0 m [W], turns and continues for an additional 900.0 m [S]. Determine the joggers total displacement.



$$\tan \theta = \frac{\text{opp}}{\text{adj}}$$

$$\tan \theta = \frac{900}{400}$$

$$\theta = \tan^{-1} \left(\frac{900}{400} \right)$$

$$\theta = 66^\circ$$

magnitude of displacement.

$$|\vec{\Delta d}_R|$$

$$c^2 = a^2 + b^2$$

$$c = \sqrt{a^2 + b^2}$$

$$= \sqrt{(\vec{\Delta d}_1)^2 + (\vec{\Delta d}_2)^2}$$

$$= \sqrt{(400)^2 + (900)^2}$$

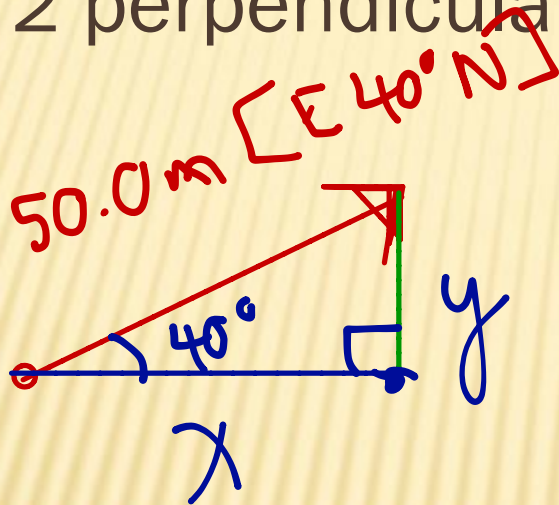
$$= \sqrt{970\,000}$$

$$|\vec{\Delta d}_R| = 984.9 \text{ m}$$

$$\therefore \vec{\Delta d}_R = 980 \text{ m [W } 66^\circ \text{ S]}$$

BREAKING DOWN VECTORS INTO TWO PERPENDICULAR COMPONENTS

- ✗ Break the displacement vector 50.0 m [E40°N] into 2 perpendicular component vectors.



SOH CAH TOA

y component

$$\sin 40^\circ = \frac{y}{50}$$

$$y = 50 \sin 40^\circ$$

$$y = 32 \text{ m}$$

$$\therefore \Delta d_y = 32 \text{ m [N]}$$

x component

$$\cos 40^\circ = \frac{x}{50}$$

$$x = 50 \cos 40^\circ$$

$$x = 38 \text{ m}$$

$$\therefore \Delta d_x = 38 \text{ m [E]}$$

WORK FOR THE DAY

- ✗ Pg. 65 #1,2,4,5
- ✗ Pg. 67 #1,2
- ✗ Pg. 69 #1,2

+ Watch the videos
on website.

+ note for tomorrow.